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Subglacial drainage system changes of the Gulkana Glacier, Alaska: discharge and sediment load observations and modeling

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Abstract:

Hydrological characteristics of englacial and subglacial drainage systems in Gulkana Glacier, Alaska, were examined by analyzing temporal variations of water and sediment discharges in the proglacial Phelan Creek in 2001. From data plots on semi-log paper, it appeared appropriate to separate both discharge and sediment load into fast and slow components. The two components were possibly produced by two different drainage systems: an englacial and subglacial, “channelized” system in the ablation zone, and a subglacial, “distributed” system in the accumulation zone. The data

indicate the occurrence of an event during which part of the “distributed” drainage system changed into the “channelized” drainage system. The daily time series of discharge and sediment load were represented using a tank model. In the model, the drainage from an additional tank was added, supposing that a subglacial reservoir full of water and sediment collapsed slowly when the subglacial drainage system changed from distributed to channelized. The simulation with the collapsed tank gave much more reasonable results than those with no collapsed tank. The contribution of the collapsed tank to total sediment load is 24 %, which is much larger than 9% to total discharge.

KEY WORDS glacier-melt; discharge; suspended sediment; Gulkana Glacier; subglacial drainage system; tank model

INTRODUCTION

The sediment load from a glacier-covered drainage basin is generally greater than that from a similarly sized basin with no glacial cover, because of the high sediment erosion by glacial motion (Gurnell et al., 1996; Alley et al., 1998). The sediment discharge from glacier-melt, however, varies widely for any particular water discharge (e.g., Willis et al., 1996; Anderson and Humphery, 1999). This is thought to reflect variations in

sediment supply as meltwater pathways change and subglacial erosion rates vary. In the case of temperate glaciers, high subglacial water pressures are caused by the rapid melt at the glacier surface and subsequent englacial water storage in early summer. The release of this water is thought to induce a change in the subglacial drainage system from a "distributed" to "channelized" structure, with a gradual migration of the latter upglacier during the melt season (e.g., Fountain and Walder, 1998; Hubbard and Nienow, 1998; Nienow et al., 1998). Some researchers have suggested that the distributed drainage system exists as a linked-cavity network that tends to retard meltwater movement so that it acts as a main pathway for slow water flow (Kamb, 1987; Walder and Fowler, 1994; Fountain and Walder, 1998; Hubbard and Nienow, 1998). Flow separation of melt discharge has been performed using conceptual reservoir models or chemically-based mixing models, in order to identify the changing storage characteristics of the glacial drainage systems and to attribute flow to reservoirs with different hydrological response times (e.g., Gurnell, 1993; Wagnon et al., 1998; Hannah and Gurnell, 2001; Matsumoto, 2003).

In the present study, discharge and sediment load from the basin of the temperate Gulkana Glacier, Alaska, are reproduced numerically by a tank model (Sugawara, 1972, Yue and Hashino, 2000), and the model is used to explore the relationship between the glacial drainage systems and the discharge and sediment load. The tank model is a river

runoff model applied to rainfall runoff and snowmelt runoff in a non-glacierized drainage basin (e.g., Mizunuma and Chiu, 1985), and the linear reservoir model applied to glacier-melt runoff (e.g., Hannah and Gurnell, 2001) corresponds to a modified type of tank combination (Sugawara, 1972).

STUDY AREA AND METHODS

Figure 1 shows the location of Gulkana Glacier, Alaska ($63^{\circ} 16' N$, $145^{\circ} 25' W$) and the observation sites in the 31.1 km^2 drainage basin upstream of the gauging station (site PC at 1125 m asl) on the proglacial Phelan Creek, a tributary of the Delta River. The study basin is located in the mountainous headwater region of the Delta River, which is a tributary of the Tanana River. The Tanana River contributes a large amount of suspended sediment to the Yukon River as a result of glacial erosion (Chikita et al., 2002). The average equilibrium line altitude of the glacier was 1770 m asl between 1967 and 1993 (March, 2000). In the summer of 2001, when water turbidity was monitored for the present study, most of the meltwater discharge occurred in three proglacial channel outlets, which merged into a single river channel ca. 800m upstream of site PC (Figure 1). Water discharge on days of no rainfall is assumed to be constant between the glacier terminus and site PC, since meltwater inflow from snow or dead ice is negligible. In the non-glacial region, there is no vegetation cover on the glacial till.

Since 1967, air temperature and rainfall have been monitored at site WS (1480 m asl) and site PC. The mean annual precipitation is ca. 1000 mm and mean air temperature is -2°C at site WS. River stage has been measured at site PC by the US Geological Survey. A rating curve is re-established every year by occasional measurements of stage and discharge at site PC. The measured discharge is within $\pm 5\%$ of discharge estimates obtained using the rating curve. The mean annual discharge from 1967 to 2000 is $5.87 \times 10^7 \text{ m}^3$, of which 86% occurs from June to August. For the present study, turbidity was monitored hourly at site PC between 29 June and 31 August 2001, using a self-recording, infrared back-scattering turbidimeter (Alec Electronics, Inc., model MTB-32K; accuracy ± 24 ppm with a range of 0 to 2000 ppm) near the bank. The turbidity was recorded ten times every hour with a sampling interval of 1 s, and the ten samples were averaged to obtain an hourly value. The averaged turbidity values were converted to suspended sediment concentrations (mg l^{-1}), using the relationship ($r^2 = 0.846$) between turbidity and simultaneous measurements of suspended sediment concentration obtained from filtration of river water samples. suspended sediment concentration was measured by sampling river water with a DH-48 depth-integrating sampler, and filtering the samples through $0.45 \mu\text{m}$ pore size glass-fiber filters. A time series of sediment load, S (g s^{-1}) was obtained from the product of the discharge, Q ($\text{m}^3 \text{s}^{-1}$) and suspended sediment concentration, C (g m^{-3}),

i.e. $S = Q \cdot C$.

Time series of daily discharge and sediment load at site PC were used to explore the relationship between discharge, sediment load, and water distribution within the glacier. The tank model used in this study was originally designed for analyzing discharge time series from a non-glacierized drainage basin (Motoyama et al., 1983; Mizunuma and Chiu, 1985; Yue and Hashino, 2000), but is applied here to discharge and sediment load from a glacierized basin by treating the basin output as the sum of the contributions of two drainage systems.

In order to examine a mixing condition of suspended sediment, vertical profiles of flow velocity were obtained at site PC by using an electromagnetic current meter, and the grain size analysis of suspended sediment in sampled water was performed by the sieving and gravitational settling methods. The validity of the tank model for sediment load calculations was suggested by a condition that the suspended sediment of more 95 % silt and clay is under complete suspension on the extended Shields diagram (Chikita et al., 2002).

OBSERVATIONS AND DISCUSSION

Discharge, sediment load and meteorology

Figure 2 shows time series of discharge and sediment load, suspended sediment

concentration, air temperature and rainfall at site PC for the period of 27 June to 4 September 2001. For most of this period, both discharge and suspended sediment concentration exhibited diurnal variations, even during days of rainfall, discharge lagged air temperature by a 2 h, and the peak suspended sediment concentration preceded the peak discharge by 1 to 3 h on days of no rainfall. During two periods, 19 - 27 July and 29 July - 1 August, the suspended sediment concentration and discharge increased greatly in response to high daily air temperatures (reaching 22.1 °C on 18 July) and in the case of the second period, prolonged rainfall (30 July - 1 August). The 19-27 July event exhibited more than two peaks per day in both suspended sediment concentration and discharge. The peak of suspended sediment concentration occurred during increasing discharge, and the suspended sediment concentration subsequently decreased faster than discharge. This suggests that part of the subglacial drainage system changed drastically during the event and released subglacial sediments (see Tranter et al., 1996; Hannah and Gurnell, 2001). The sediment rating curve data (Figure 3) indicate that the observations during the 19-27 July event are located on or above the regression line (symbol ×), showing that the suspended sediment concentration was high with respect to the discharge, possibly indicating the entrainment of sediment as the drainage system changed from a distributed to a more channelized form.

During the second event of 29 July - 1 August, the peaks in discharge and

suspended sediment concentration occurred synchronously. The peak discharge was comparable in magnitude to that of the 19 – 27 July event, whereas the peak suspended sediment concentration was relatively small. As a result, the observations lie on or near the rating curve (symbol ● in Figure 3), indicating a reduced availability of subglacial sediment in the glacial drainage system after its restructuring in response to the first event. Before the first event, suspended sediment concentration alone increased in response to rainfall. Afterwards, however, suspended sediment concentration and discharge both responded rapidly, indicating a more efficient glacial drainage system.

According to observations at the Black Rapids Glacier, located ca. 50 km northwest of Gulkana Glacier (Raymond et al., 1995), glacial hydrological events can be classified into two types, one resulting from the glacier-wide input of extra water associated with weather events (type I), and the other associated with localized and gradual build-up of water in internal reservoirs released suddenly by internal processes (type II). Here, the first event (19 to 27 July) and the second event (29 July to 1 August) could correspond to type II and type I, respectively.

Decay constants for discharge and sediment load

Discharge and suspended sediment concentration varied diurnally for most of observation period (Figure 2). Sediment load, the product of discharge and suspended

sediment concentration, therefore, also varies diurnally. The declining limb of the diurnal hydrograph can often be partitioned into two or three linear sections on semi-log paper (e.g., Gurnell, 1993; Hannah and Gurnell, 2001).

Figure 4 shows typical falling limbs of discharge, Q , and sediment load, S , for three periods, corresponding to the early, middle and late stages of glacier-melt for periods of 29 June to 19 July (before the two high magnitude events), 2 to 11 August (within 10 days after the events) and 21 to 31 August (more than 20 days after the events), respectively (see Figure 2). Decay constants for Q and S can be estimated using the following relationships.

$$Q(t) = Q_0 \cdot \exp(-t/T_w) \quad (1)$$

and
$$S(t) = S_0 \cdot \exp(-t/T_s), \quad (2)$$

where t is the elapsed time (h), Q_0 and S_0 are the discharge and sediment load at $t = 0$, and T_w and T_s are the decay constants for water and sediment discharges, respectively. In Figure 4, discharge and sediment load are both separated into two linear sections, where each linear section is made up of at least 3 consecutive hourly observations and linear regression is used to estimate the decay constants (regression models were accepted where $r^2 > 0.880$, since the plots with $r^2 \leq 0.88$ seemed to give a more separate component on semi-log paper). When separation of discharge and sediment load into the two components is achieved, it suggests that fast and slow flow components operate

at the same time and independently access sediment sources. In Figure 4, the decay constants for discharge are $T_w^{fast} = 10.1, 19.4$ and 13.6 h for the fast component and $T_w^{slow} = 47.6, 43.1$ and 32.6 h for the slow component. Meanwhile, the decay constants for sediment load in Figure 4 are $T_s^{fast} = 3.26, 7.66$ and 3.60 h for the fast component and $T_s^{slow} = 24.0, 26.2$ and 14.0 h for the slow component. Hence, sediment load decreases faster than discharge, probably reflecting a decrease in sediment availability or shear stress during declining flows, since sediment load depends on suspended sediment concentration rather discharge (see Figure 2).

In the early, middle and late stages of glacier-melt, the mean \pm standard deviation of the decay constants was evaluated at $T_w^{fast} = 6.2 \pm 12.8$ h, 5.5 ± 21.2 h and 3.7 ± 13.7 h, $T_w^{slow} = 11.4 \pm 42.4$ h, 28.0 ± 65.4 h and 11.6 ± 35.9 h, $T_s^{fast} = 4.9 \pm 2.8$ h, 10.1 ± 4.0 h and 7.3 ± 4.2 h, and $T_s^{slow} = 20.7 \pm 17.7$ h, 36.9 ± 10.7 h and 21.9 ± 6.3 h, respectively. The decay constants of discharge thus exhibited greater variations than those of sediment load, and of all the decay constants, T_w^{slow} was relatively unstable throughout the glacier-melt season. The mean decay constants in the modes of frequency distributions were estimated at $T_w^{fast} = 17$ h, $T_w^{slow} = 31$ h, $T_s^{fast} = 3.4$ h and $T_s^{slow} = 13$ h. It is unknown why there were no clear seasonal variations of the decay constants, T_w^{fast} and T_w^{slow} , though the fast and slow discharges likely reflect the seasonal variations of water pathways in supraglacial, englacial and subglacial drainage systems.

Estimates of water input and storage

The seasonal variation of water storage in a glacier could impact the glacial drainage system (e.g., Anderson and Humphrey, 1999), and may be reflected in the slow component of water discharge, if the water input by glacier-melt and rainfall is constant. Hence, the water input to the storage in the drainage basin were estimated using the following water budget:

$$\Delta W = q_{melt} \cdot A_g + P \cdot A_t - Q_{out} , \quad (3)$$

where ΔW is the change in liquid water storage ($\text{m}^3 \text{ day}^{-1}$), q_{melt} is the rate of snowmelt or ice-melt at the glacier surface (m day^{-1}), A_g and A_t is the glacier surface area and the drainage area (m^2), respectively, P is the rainfall (m day^{-1}), and Q_{out} is the discharge ($\text{m}^3 \text{ day}^{-1}$). In Equation (3), the evaporation and sublimation from the glacier surface is neglected. q_{melt} is numerically obtained by applying the positive degree-day approach (Braithwaite, 1995):

$$q_{melt} = \gamma_{snow} \overline{T_a} \quad \text{or} \quad q_{melt} = \gamma_{ice} \overline{T_a} \quad \text{for} \quad \overline{T_a} \geq 0$$

and $q_{melt} = 0 \quad \text{for} \quad \overline{T_a} < 0, \quad (4)$

where γ_{snow} and γ_{ice} are the empirical constants for snowmelt and ice-melt at the glacier surface, respectively, and $\overline{T_a}$ is the daily mean air temperature ($^{\circ}\text{C}$).

Considering $\gamma_{snow} = 3.5 - 5 \text{ mm day}^{-1} \text{ }^{\circ}\text{C}^{-1}$ and $\gamma_{ice} \sim 2 \gamma_{snow}$ for Gulkana Glacier

(March, 2000) and the relatively small solar radiation at a certain air temperature in August, $\gamma_{snow} = 4.0 \text{ mm day}^{-1} \text{ }^{\circ}\text{C}^{-1}$ and $\gamma_{ice} = 8.0 \text{ mm day}^{-1} \text{ }^{\circ}\text{C}^{-1}$ in June to July and $\gamma_{snow} = 3.5 \text{ mm day}^{-1} \text{ }^{\circ}\text{C}^{-1}$ and $\gamma_{ice} = 7.0 \text{ mm day}^{-1} \text{ }^{\circ}\text{C}^{-1}$ in August were here adopted.

Using the contour lines with a 100 m interval on the glacier in Figure 1, and considering a decrease of 0.66°C per 100 m in altitude (March, 2000), the glacier-melt rate (q_{melt}) was estimated from the air temperature data obtained at site WS (Figure 1). Snow-covered and ice-covered areas of Gulkana Glacier were delineated using the snow line altitudes observed by Dr. N. Takeuchi (personal communication: Table 1). It was assumed that the rainfall recorded at site PC is constant within the drainage basin, and that all the rainwater onto the glacier enters into the glacier. The precipitation at $\overline{T}_a < 0$ is considered to make no contribution to the recharge. For discharge, Q_{out} , in Equation (3), the discharge data at site PC were used.

Figure 5 shows daily variations of total water input, $q_{melt} + P$, cumulative water storage, $\Sigma(\Delta W/A_t)$, and specific discharge, $q_{out} (= Q_{out}/A_t)$ in mm d^{-1} , where $A_t = 31.1 \text{ km}^2$ for Gulkana Glacier. The cumulative water storage is assumed to be zero at 00:00 on 1 June, and thus is probably underestimated over the period of calculation. The first event (19 to 27 July) started the day before the peak in the cumulative water storage, and water storage rapidly decreased from 20 July. The second event (29 July to 1 August) was likely induced by the simultaneous rainfall, because $P - \Delta S/A_g$ from

Equation 3 was then comparable in magnitude to q_{out} .

MODELLING

Utilizing the total water input and the decay constants of fast and slow components, the discharge and sediment load time series of the Gulkana Glacier basin were simulated using a tank model, and the modeled results were compared with the observation.

Discharge

Figure 6 shows the combination of tanks used in the discharge simulation. The drainage basin was divided into three different regions, snow-covered, ice-covered and non-glacial regions. The water input, I_{snow} , and the subglacial discharge, Q_{slow} , in the snow-covered region occur in the upper left tank in Figure 6, and the discharge, Q_{slow} , from the upper tank is connected to the lower tank in addition to the water input, I_{ice} , in the ice-covered region. The discharge from glacial tills and exposed bedrock in the non-glacial region occurs in response to rainfall, and the right upper and lower tanks produce the fast component (surface flow), Q_{n1} , and the slow component (base flow), Q_{n2} , respectively (Yue and Hashino, 2000). Water discharge, Q_{gl} , from the left lower tank is equivalent to total discharge from the glacier-covered region. On days of rainfall, the drainage (Q_{n1} and Q_{n2}) from the right tanks is added to Q_{gl} . It was assumed that any

rainwater onto the non-glacial region does not contribute to the water input and storage in the glacier-covered region, but flows directly to site PC. A relation between a discharge, Q_i (Q_{slow} , Q_{gl} , Q_{n1} , Q_{n1-2} or Q_{n2} in Figure 6), from a tank and water storage, W_i (W_{slow} , W_{gl} , W_{n1} or W_{n2}), in the tank is given by the following equation:

$$Q_i = D_i \cdot W_i(t) , \quad (5)$$

where D_i is the discharge coefficient (D_{slow} , D_{gl} , D_{n1} , D_{n1-2} and D_{n2}). $W_i(t)$ is obtained by the equation of continuity:

$$\frac{dW_i(t)}{dt} = I_i(t) - Q_i(t) , \quad (6)$$

where $I_i(t)$ is the water input (I_{snow} , I_{ice} , I_{n1} , Q_{slow} or Q_{n1-2}) for snow-covered, ice-covered and non-glacial regions, and from the upper tanks. The discharge coefficients, D_{slow} and D_{gl} ($=1/T_w$, where T_w is the decay constant for water discharge), were determined from the decay constants of $T_w^{fast} = 6.3$ to 21.8 h and $T_w^{slow} = 22.6$ to 97.1 h so that the simulation provides the best fit for the observation. The fast component, Q_{fast} , from the ice-covered region was given by simulated discharge, Q_{gl} , minus the slow component, Q_{slow} , from the snow-covered region.

Figure 7 shows a comparison between simulated total discharge, Q ($= Q_{gl} + Q_{n1} + Q_{n2}$), its three components, Q_{fast} , Q_{slow} and Q_n ($= Q_{n1} + Q_{n2}$), and observed total discharge. Table 2 indicates the discharge coefficients used for the best fit. In spite of the uncertainties in the estimation of the inputs and the constant discharge coefficients,

the modeled results are consistent with the observed data ($r^2 = 0.566$) except for the two events of 19 to 27 July and 29 July to 1 August. Prior to these events, the modeled discharge is consistently larger than the observed one. This means that the water input is larger than the observed discharge, and thus some water storage with no contribution to the discharge occurs in another tank.

Based on the assumption that the events were controlled by the collapse of an isolated tank, an additional tank was added to the system (Figure 8) and the discharge was recalculated. Prior to the discharge peak of 22 July, the total water input was 15 % larger than the observed total discharge (Figure 7). The surplus water input for this period was added to the isolated tank so that the slow component, Q_{slow} , prior to 22 July was thus totally reduced by 15 %. The discharge coefficient, $D_{collapse}$, of the isolated tank was set to 0.01 h^{-1} based on the decay constant during the events (Table 2).

Figure 9 shows a comparison between recalculated total discharge, four components, Q_{fast} , Q_{slow} , Q_n and $Q_{collapse}$ and observed discharge. The recalculation reproduces observed discharge series over the observation period with $r^2 = 0.869$. Until the end of the first event (29 July), the reproduction is more significant ($r^2 = 0.929$), but after the event, is less satisfactory ($r^2 = 0.736$). The lower correlation possibly results from the assumption of constant rainfall within the drainage basin and from the instability of the decay constants in the middle and late stages of glacier-melt. For

example, the calculated peak on 2 August was due to a rainfall recorded at site PC (Figure 2), but no peak was observed, so possibly no rainfall occurred on the glacier.

The contribution of each component to the total discharge is 45 % and 41 % for fast and slow components from the glacier-covered region, 9 % for drainage from a collapsed tank, and 6 % for the non-glacial region. Discharge from a glacier-covered region is thus dominant, indicating the similar contribution in the snow-covered and ice-covered areas.

Sediment load

The reproduction of the sediment load time series was attempted using a tank model as used in other studies (Osawa and Sakai, 2002).

Figure 10 shows the tank model for sediment load, which includes the collapse of a subglacial reservoir during the events. It is basically the same tank combination as for discharge (Figure 6). Two approaches, “rating” and “separation”, were adopted for the reproduction of the sediment load time series. In the rating approach, the sediment rating curve in Figure 3 was used to obtain the suspended sediment concentration for daily mean values ($\text{m}^3 \text{s}^{-1}$) of the simulated discharge, Q (Figure 9). The suspended sediment concentration, $C_{collapse}$ (mg/l), for the first event was given by Equation (7).

$$C_{collapse}(n) = C_{collapse}(0) \cdot (\alpha)^n, \quad (7)$$

where $C_{collapse}(n)$ is the suspended sediment concentration on the n th day from a start of the first event ($n = 0$ on 19 June), and α is the empirical constant. Here, $C_{collapse}(0)$ was given 4900 mg l^{-1} from the observation (see Figure 2), and $\alpha = 0.78$ was adopted as the best fit for the observation. The sediment load, $S_{collapse}$, from the collapsed tank was calculated from $S_{collapse} = C_{collapse} \cdot Q_{collapse}$.

In the “separation” approach, assuming different sediment concentration values for fast and slow components from a glacier-covered region and those from a non-glacial region, corresponding sediment loads were calculated. In order to simulate the sediment load from the lower tank in a glacier-covered region, it is assumed that the sediment supplied from the upper tank is released from the lower tank with no deposition. In a non-glacial region, only the sediment load corresponding to the total discharge, Q_n , was simulated. Separately, sediment load, S (g s^{-1}), is calculated from the discharge and suspended sediment concentration as follows:

$$S(t) = Q(t) \cdot C(t), \quad (8)$$

where t is the elapsed time (h). Similar to Equations (1) and (2), $C(t)$ is given by

$$C(t) = C_0 \cdot \exp(-t/T_c), \quad (9)$$

where T_c is the decay constant for suspended sediment concentration, and $C = C_0$ at $t =$

0. From Equations (1), (2), (8) and (9), T_c can be expressed as follows:

$$T_c = T_s \cdot T_w / (T_w - T_s). \quad (10)$$

Applying the mean values of T_s (= 3.4 h for fast and 13 h for slow) and T_w (= 17 h for fast and 31 h for slow) in the highest frequencies, $T_c^{fast} = 4.3$ h, $T_c^{slow} = 22$ h were obtained. Daily values for C_0 in Equation (9) was calculated by using a daily Q_0 ($= Q(t) = 0$) from the simulation of discharge in $C = aQ^b$ (Figure 3), where a and b are empirical coefficients. a and b for each component from glacier-covered and non-glacial regions were determined for the observation period so that calculated total sediment discharge gives the best fit for the observation. Given a , b and C_0 values, each sediment discharge can be calculated by the following.

$$S_{slow}(t) = Q_{slow}(t) \cdot C_{slow} = Q_{slow}(t) \cdot a_1 Q_{0slow}^{b_1} \cdot \exp(t/T_c^{slow}), \quad (11)$$

$$S_{gl}(t) = Q_{gl}(t) \cdot C_{fast}(t) = Q_{gl}(t) \cdot a_2 Q_{0fast}^{b_2} \cdot \exp(t/T_c^{fast}), \quad (12)$$

$$S_{fast}(t) = S_{gl}(t) - S_{slow}(t), \quad (13)$$

$$S_n(t) = Q_n(t) \cdot C_n(t) = Q_n(t) \cdot a_3 Q_n^{b_3}, \quad (14)$$

$$\text{and} \quad S = S_{gl} + S_n \quad (15)$$

where a and b with the subscripts 1, 2 and 3 are the coefficients for slow and fast components from a glacier-covered region and for a non-glacial region, respectively.

C_{slow} , C_{fast} and C_n are sediment concentrations for slow and fast components from a glacier-covered region and for total discharge from a non-glacial region, respectively,

whereas Q_{0fast} and Q_{0slow} are Q_0 for fast and slow components from a glacier-covered region, respectively. C_{gl} from a glacier-covered region was assumed to be equal to

suspended sediment concentration, C_{fast} , for the fast component.

First, the coefficients a_i and b_i ($i = 1, 2$), giving the best fit for observed sediment load for the fast and slow components in a non-rainfall period, were determined, and then C_{fast} and C_{slow} values were computed. Second, C_n ($= a_3 Q_n^{b_3}$) was numerically obtained from a_3 and b_3 giving the best fit over the observation period. The simulated discharge (Figure 9) was used for Q_{slow} , Q_{gl} and Q_n in Equations (11), (12) and (14). The sediment load from a collapsed reservoir was added as in the “rating” approach.

Figure 11 shows a comparison between simulated and observed results from the “rating” approach. The simulation reproduces the observed result well ($r^2 = 0.863$ over the observation period), except for a calculated peak appeared on 2 August as in Figures 7 and 9. This satisfactory reproduction means the high utility of the rating curve in Figure 3 and Equation (7). It is seen that sediment load from the collapsed tank decreases more rapidly than water discharge over ca. 15 days (Figure 9).

Figure 12 shows a comparison between calculated total sediment load, $S + S_{collapse}$, and observations for the separation approach. a and b values for each of C_{fast} , C_{slow} and C_n , giving the best fit, are given in Table 3. The reproducibility of this simulation ($r^2 = 0.832$) is comparable to the rating approach ($r^2 = 0.863$), and also the non-observed peak of 2 August in Figure 11 does not appear. The contributions of each component over the calculation period are 53 % and 14 % for fast and slow components from the

glacier-covered region, 9 % for the non-glacial region, and 24 % for the drainage from the collapsed tank. The contribution of the collapsed tank is much larger than its 9 % contribution to the discharge. This suggests that erosion of subglacial deposits by the tank collapse is more effective than the erosion in the two subglacial drainage systems. Chikita (1993) and Chikita et al. (1998) pointed out that, for sediment load of mostly silt and clay including few organic matters, the exponent b is similar at a range of 2.1 - 2.2, if the sediment availability is enough, whereas the coefficient a decreases, if the sediment includes clay minerals such as kaolinite, chlorite and montmorillonite. Some researchers have found that the coefficient a in the rating curve reflects the sediment erodibility in the drainage basin (Morgan, 1995; Asselman, 2000), whereas the exponent b represents the availability of sediment (e.g., Walling, 1974; Morgan, 1995). The values of a and b in Table 3 thus suggest that the sediment erodibility is highest for the fast component possibly flowing in the channelized drainage system, but the sediment availability is highest for the slow component possibly passing through the distributed drainage system.

CONCLUSIONS AND FUTURE STUDIES

The continuous hydrological observations in proglacial Phelan Creek and modeling suggest that the “events” of rapidly increased discharge and sediment load are due to

the collapse of a subglacial reservoir. The events were observed twice for the period from 19 July to 1 August 2001. The time series of discharge and sediment load were well simulated by a tank model ($r^2 = 0.832$ and 0.869) in which drainage and sediment output from an isolated tank were incorporated. The occurrence of such subglacial events as observed in 2001 is probably controlled by snow accumulation and meteorological conditions during the melt season, because the meltwater input into the glacier could induce such events, increasing water pressure at the glacier base. Long-term observations of discharge and sediment load are thus needed to clarify how the climate variability could induce such events. It is unknown why the decay constants used in the tank model are insensitive to seasonal variations of the snowline altitude and drainage systems. The tank model is only conceptual, but its application should be done for observations in the other years, in order to clarify what decay constants reflect in the drainage systems.

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REFERENCES

- Alley RB, Cully KB, Evenson EB, Strasser JC, Lawson DE, Larson GJ. 1998. How glaciers entrain and transport basal sediment: physical constraints. *Quaternary Science Reviews* **16**: 1017-1038.
- Anderson SP, Humphrey NF. 1999. Physical and chemical characterization of spring flood event, Bench Glacier, Alaska, U. S. A.: evidence for water storage. *Journal of Glaciology* **45**: 177-189.
- Asselman, HEM. 2000. Fitting and interpretation of sediment rating curves. *Journal of Hydrology* **234**: 228-248.

Braithwaite RJ. 1995. Positive degree-day factors for ablation on the Greenland ice sheet studied by energy balance modeling. *Journal of Glaciology* **41**: 153-160.

Chikita KA. 1993. A comparative study on suspended sediment discharge initiated by snow- or glacier-melting. *IAHS Publications* **217**: 257-267.

Chikita KA, Nakamichi Y, Smith ND, Perez-Arlucea M. 1998. A comparative study on suspended sediment discharge of rivers. *Geophysical Bulletin of Hokkaido University* **61**: 1-10.

Chikita KA, Kemnitz R, Kumai R. 2002. Characteristics of sediment discharge in the subarctic Yukon River, Alaska. *Catena* **48**: 235-253.

Fountain AG, Walder JS. 1998. Water flow through temperate glaciers. *Reviews of Geophysics* **36**: 299-328.

Gurnell AM. 1993. How many reservoirs? An analysis of flow recessions from a glacier basin. *Journal of Glaciology* **39**: 409-414.

Gurnell AM, Hannah D, Lawler DM. 1996. Sediment yield from glacier basins. In: *Erosion and Sediment Yield: Global and Regional Perspectives* (ed. By D. E. Walling & B. W. Webb), 97-104. IAHS Publication 236, IAHS Press, Wallingford, UK.

Hannah DM, Gurnell AM. 2001. A conceptual, linear reservoir runoff model to investigate melt season changes in cirque glacier hydrology. *Journal of*

Hydrology **246**: 123-141.

Hubbard B, Nienow P. 1998. Alpine subglacial hydrology. *Quaternary Science Reviews* **16**: 939-955.

Kamb B. 1987. Glacier surge mechanism based on linked cavity configuration of the basal water conduit system. *Journal of Geophysical Research* **92**: 9083-9100.

March RS. 2000. Mass balance, meteorological, ice motion, surface altitude, runoff and ice thickness data at Gulkana Glacier, Alaska, 1995 balance year. *Water-Resources Investigations Report 00-4074, U. S. Geological Survey*, 33 pp.

Matsumoto T. 2003. Hydrological characteristics and their seasonal changes of drainage systems of maritime temperate glaciers. Ph.D. Thesis, Hokkaido University, Sapporo, Japan, 117pp.

Mizunuma K, Chiu C-L. 1985. Prediction of combined snowmelt and rainfall runoff. *Journal of Hydraulic Engineering, Am. Soc. Civ. Eng.* **111**: 179-193.

Morgan, RPC. 1995. *Soil Erosion and Conservation*. 2nd ed., Longman, London, 298pp.

Motoyama H, Kobayashi D, Kojima K. 1983. Water balance at a small watershed during the snowmelt season. *Low Temperature Science, ser. A* **42**: 135-146.

Nienow P, Sharp M, Wills I. 1998. Seasonal changes in the morphology of the subglacial drainage system, Haut Glacier d'Arolla, Switzerland. *Earth Surface and Landforms* **23**: 825-843.

- Osawa K, Sakai K. 2002. Construction of the suspended sediment runoff model for rainfall-sediment runoff analysis. *Transactions of the Japanese Society of Irrigation, Drainage, and Reclamation Engineering* **208**: 165-172.
- Raymond CF, Benedict RJ, Harrison WD, Echelmeyer KA, Sturm M. 1995. Hydrological discharges and motion of Fels and Black Rapids Glacier, Alaska, U. S. A.: implication for the structure of their drainage systems. *Journal of Glaciology* **41**: 290-304.
- Sugawara M. 1972. *A Method for Runoff Analysis*. Kyoritsu Shuppan Press, Tokyo (in Japanese).
- Tranter M, Brown GH, Hodson A, Gurnell AM. 1996. Hydrochemistry as an indicator of subglacial drainage system structure: a comparison of alpine and sub-polar environments. *Hydrological Processes* **10**: 541-556.
- Wagnon P, Ribstein P, Schuler T, Francou B. 1998. Flow separation on Zongo Glacier Cordillera Real, Bolivia. *Hydrological Processes* **12**: 1911-1926.
- Walder JS, Fowler AC. 1994. Channelized subglacial drainage over a deformable bed. *Journal of Glaciology* **40**: 3-15.
- Walling, DE. 1974. Suspended sediment and solute yields from a small catchment prior to urbanization. In: Gregory, K. J., Walling, D. E. (eds), *Fluvial processes in instrumented watersheds*, Institute of British geographers special publication 6, 169-192.

Willis IC, Richards KS, Sharp MJ. 1996. Links between proglacial stream suspended sediment dynamics, glacier hydrology and glacier motion at Midtdalsbreen, Norway. *Hydrological Processes* **10**: 629-648.

Yue S, Hashino M. 2000. Unit hydrographs to model quick and slow runoff components of streamflow. *Journal of Hydrology* **227**: 195-206.

Figure Legend

Figure 1. Location of Gulkana Glacier in the drainage basin (dashed line) of the Tanana River, Alaska (Left) and observation sites (site WS and site PC) in the headwater region including the glacier (modified after March 2000)

Figure 2. Temporal variations of discharge, sediment load, water temperature, suspended sediment concentration, air temperature and rainfall at site PC.

Figure 3. Sediment rating curve. \times : first event, \bullet : second event, \circ : the other periods

Figure 4. Temporal variations of discharge and sediment load during three successive recession periods

Figure 5. Temporal variations of specific discharge, water input and cumulative water storage

Figure 6. Combination of tanks for simulating discharge

Figure 7. Comparison between simulated and observed results. Three components of the simulated discharge are also described

Figure 8. Tank collapse supposed for the events

Figure 9. Comparison between simulated and observed results. The four components, Q_{fast} , Q_{slow} , $Q_{collapse}$ and Q_n of the simulated total discharge, $Q + Q_{collapse}$, are also described for their comparison

Figure 10. Tank combination for sediment load, where the collapse of a subglacial reservoir in the events is supposed.

Figure 11. Comparison between observed and simulated sediment loads (rating approach). Sediment load contribution from the tank collapse is also described

Figure 12. Comparison between observed and simulated sediment loads (separation approach). Sediment load contribution of each component except for that from the collapsed tank is also delineated

Table 1. Seasonal variations of snow line in altitude and correspondent snow-covered and ice-covered areas

Period	Snow line* (m a.m.s.l.)	Snow-covered area (km ²)	Ice-covered area (km ²)
1 to 15 June	1350	18.7	1.1
16 to 30 June	1500	17.0	2.8
1 to 31 July	1600	15.8	4.0
1 to 31 August	1700	13.8	6.0

* after N. Takeuchi

Table 2. Discharge coefficients (h⁻¹) used for the simulation of discharge time series

D_{slow}	D_{gl}	D_{n1}	D_{n1-2}	D_{n2}	$D_{collapse}$
0.015	0.051	0.20	0.01	0.05	0.01

Table 3. Rating curve parameters

a_1	b_1	a_2	b_2	a_3	b_3
40	2	150	0.8	80	1.7

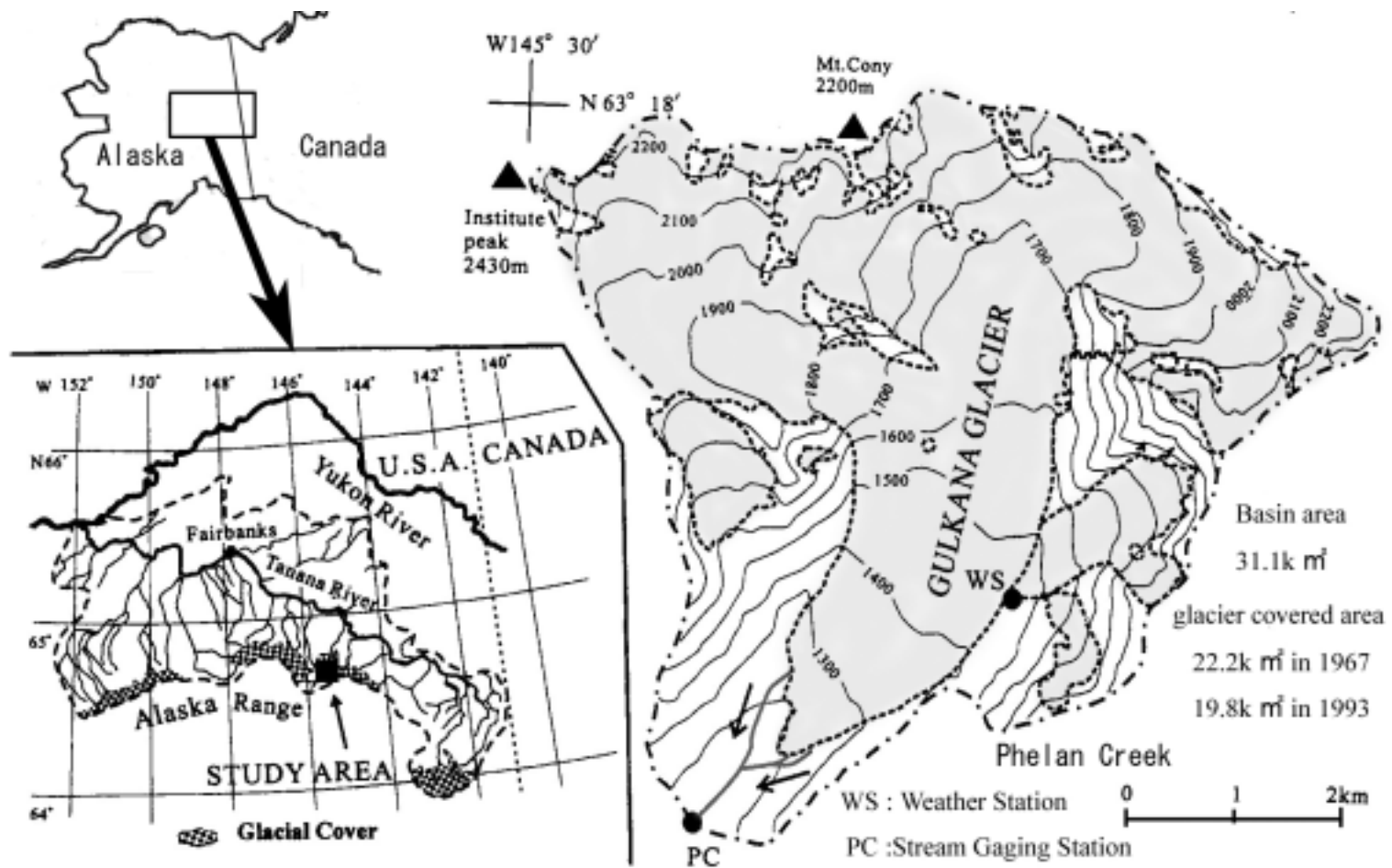


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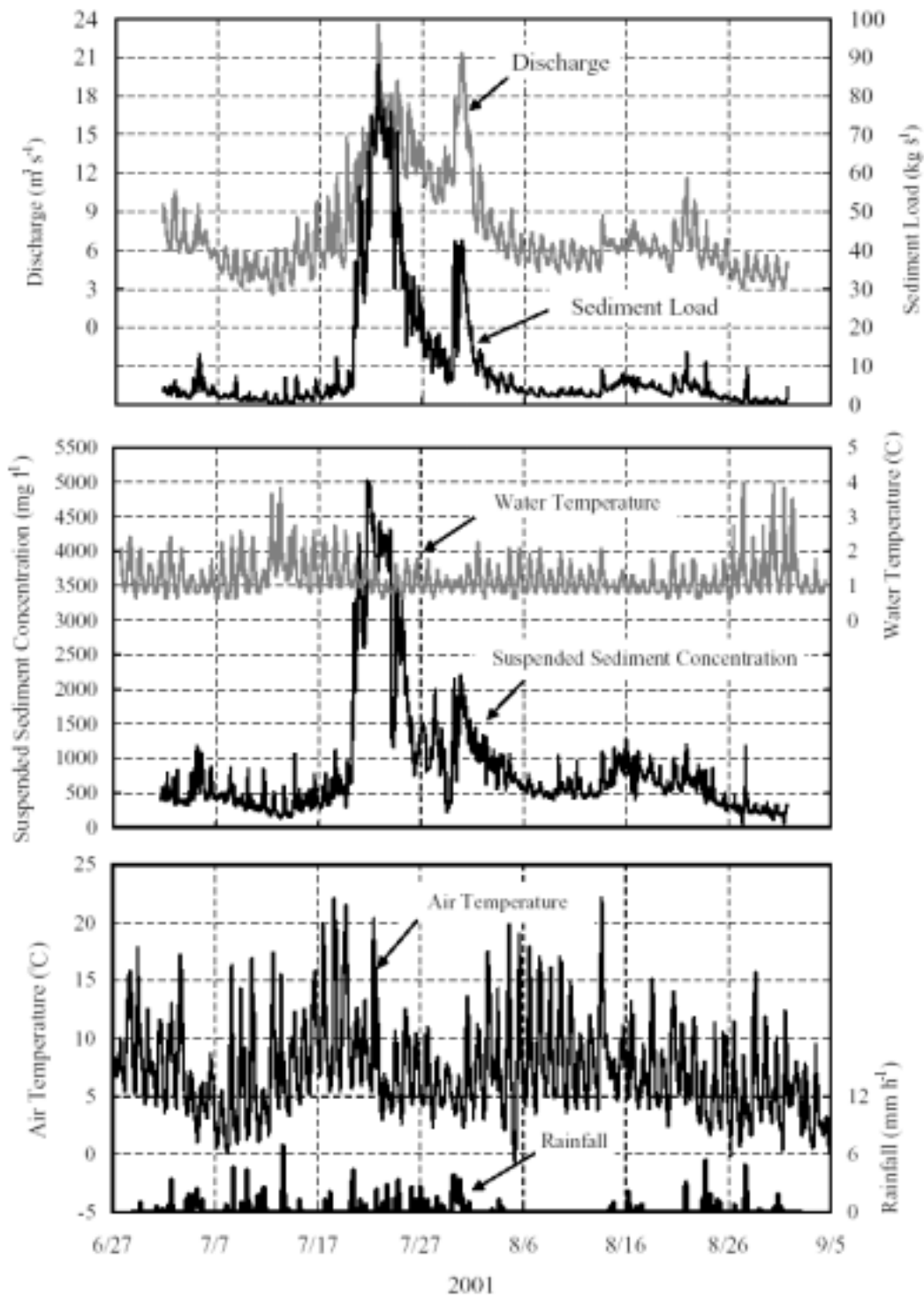


Figure 2. Temporal variations of discharge, sediment load, water temperature, suspended sediment concentration, air temperature and rainfall at site PC

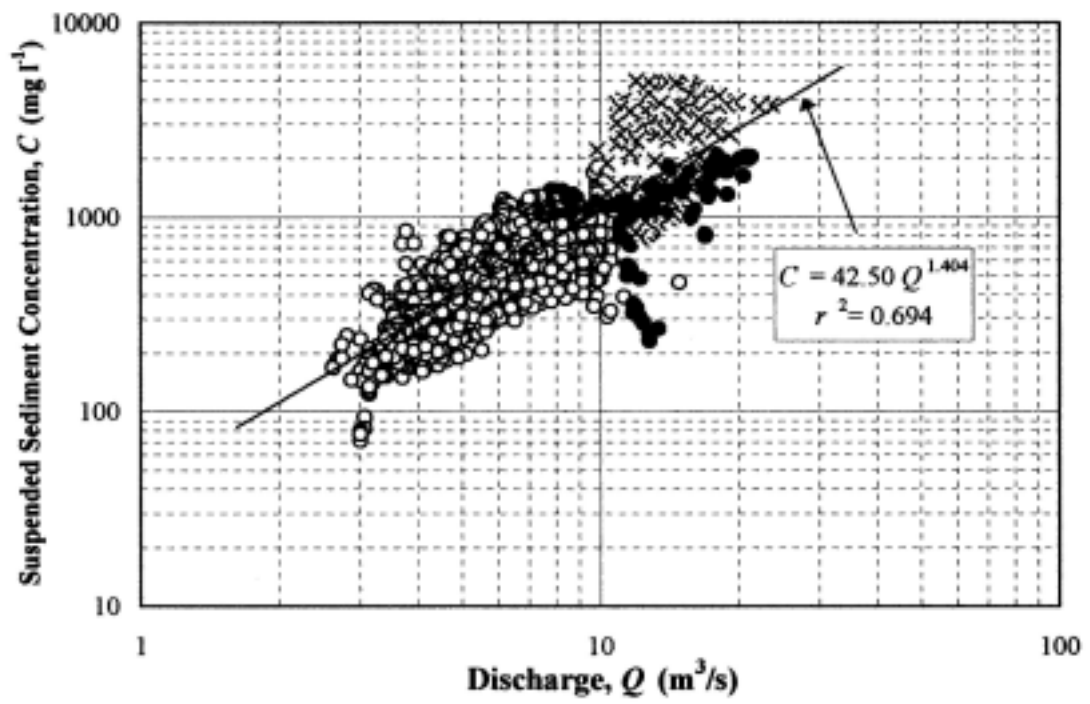


Figure 3. Sediment rating curve. \times : first event, \bullet : second event, \circ : the other periods

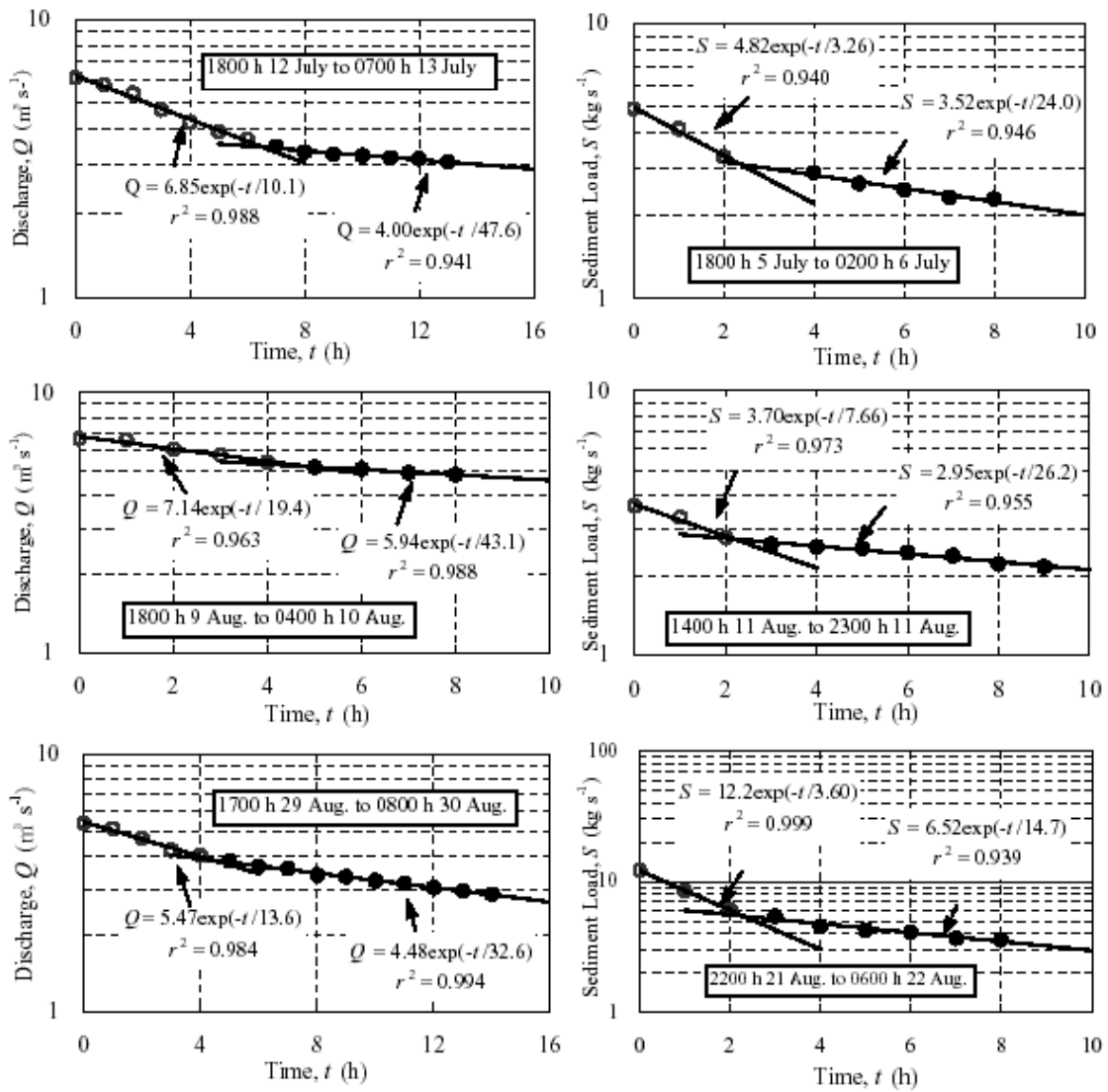


Figure 4. Temporal variations of discharge and sediment load during three successive recession periods

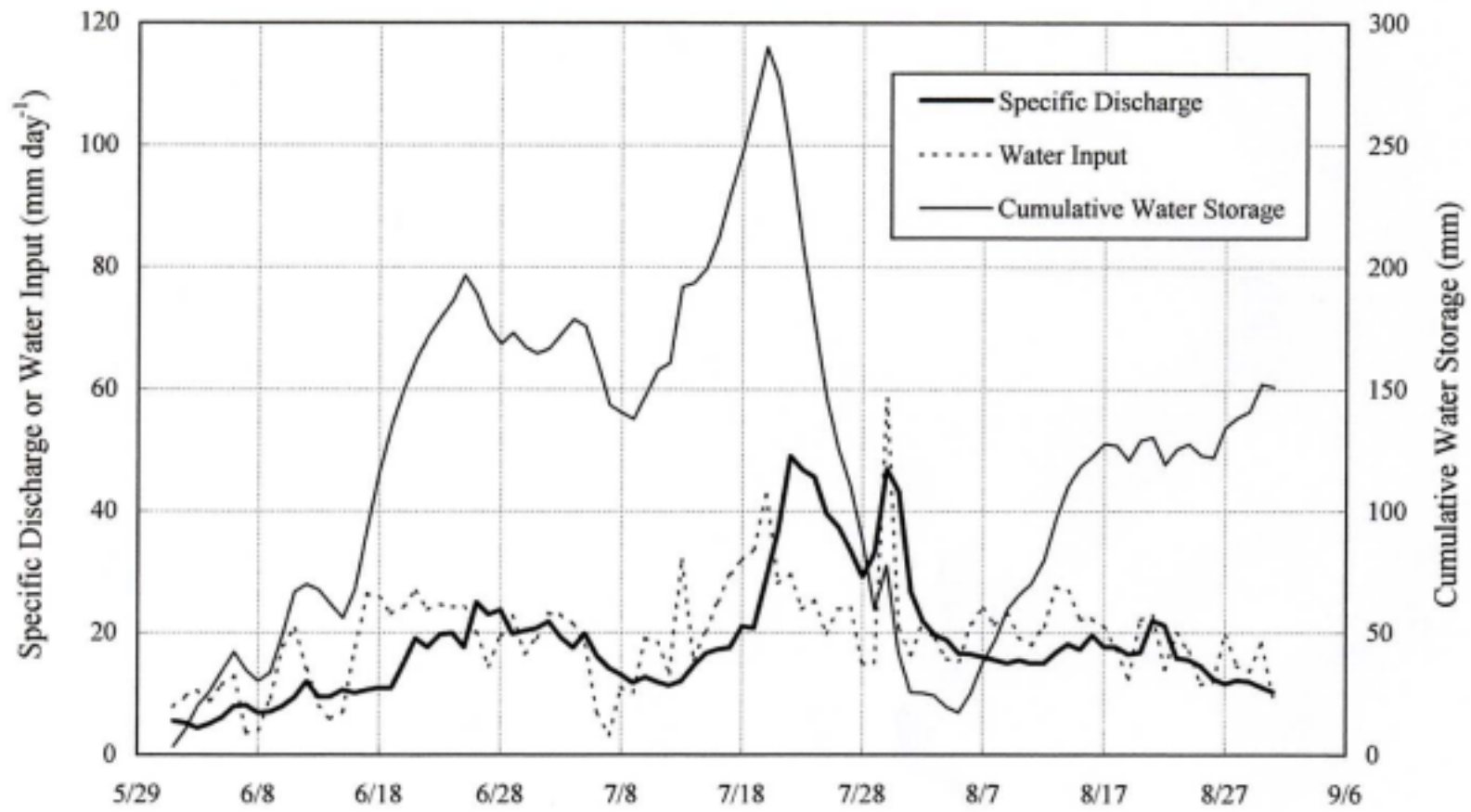


Figure 5. Temporal variations of specific discharge, water input and cumulative water storage

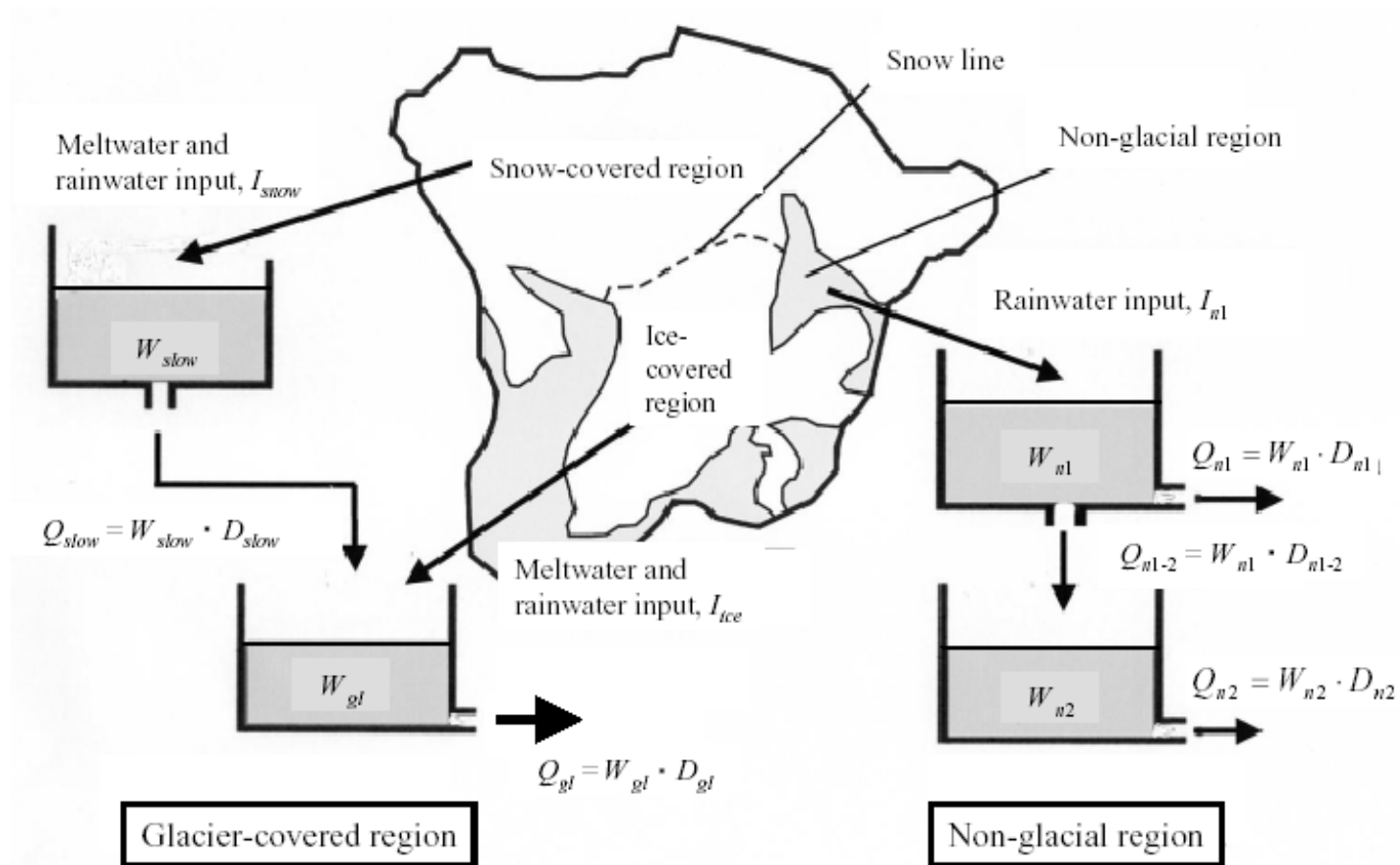


Figure 6. Combination of tanks for simulating discharge

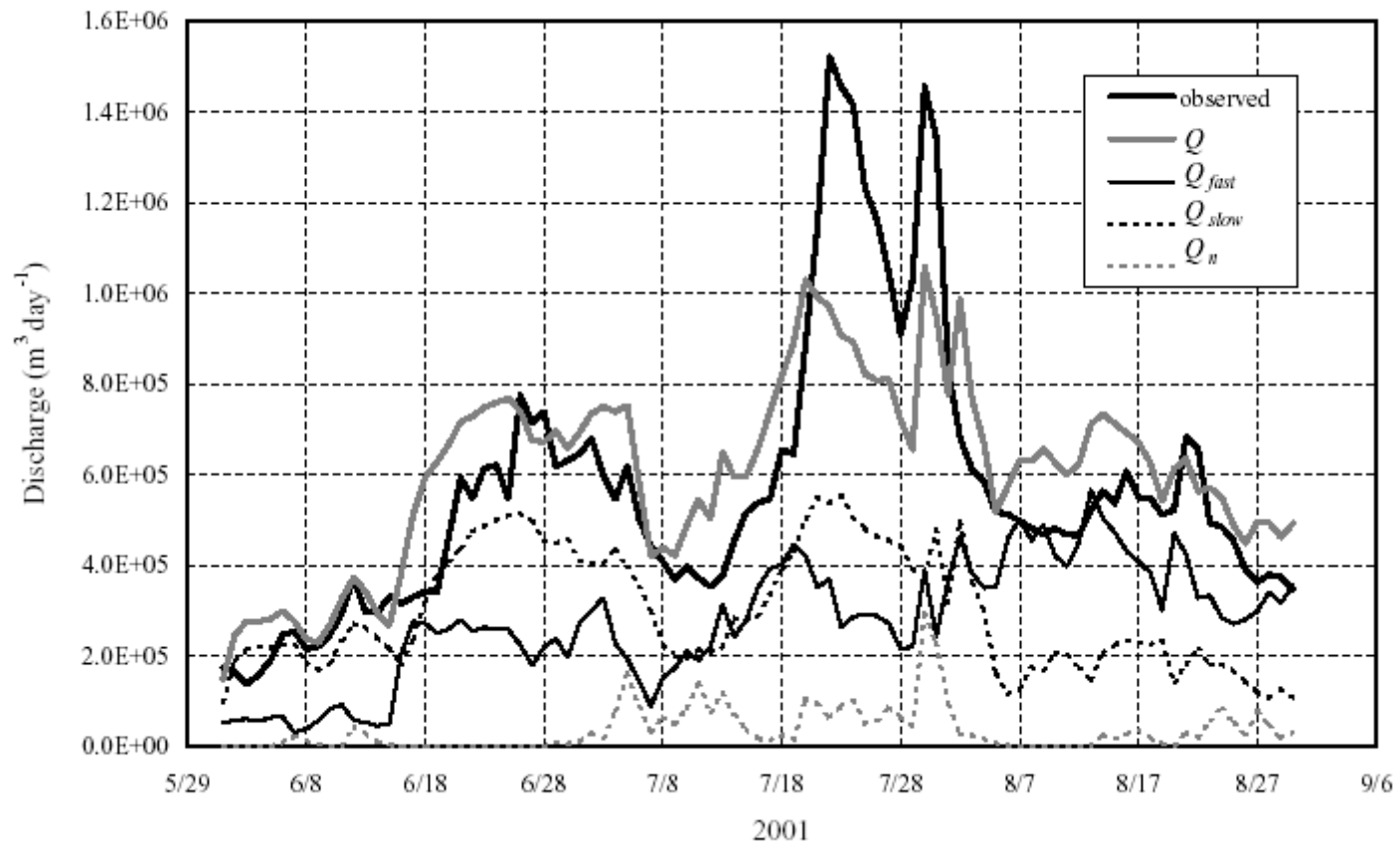


Figure 7. Comparison between simulated and observed results. Three components of the simulated discharge are also described

Water input in the snow-covered region (15% of total discharge before 22 June)

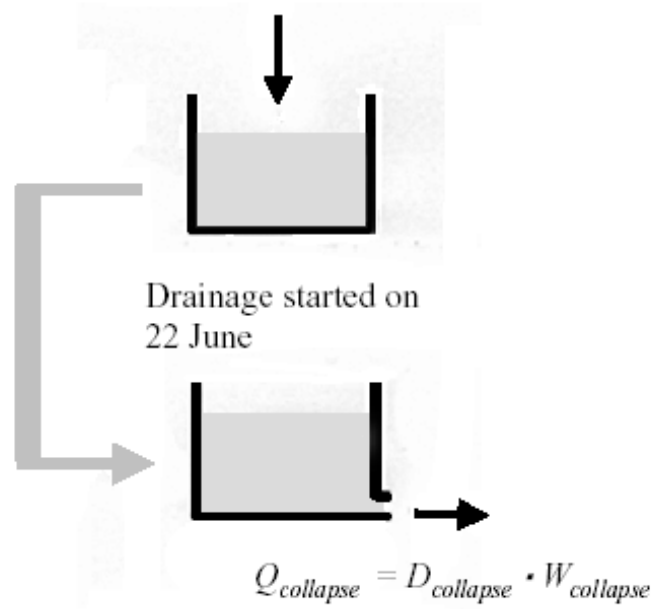


Figure 8. Tank collapse supposed for the events

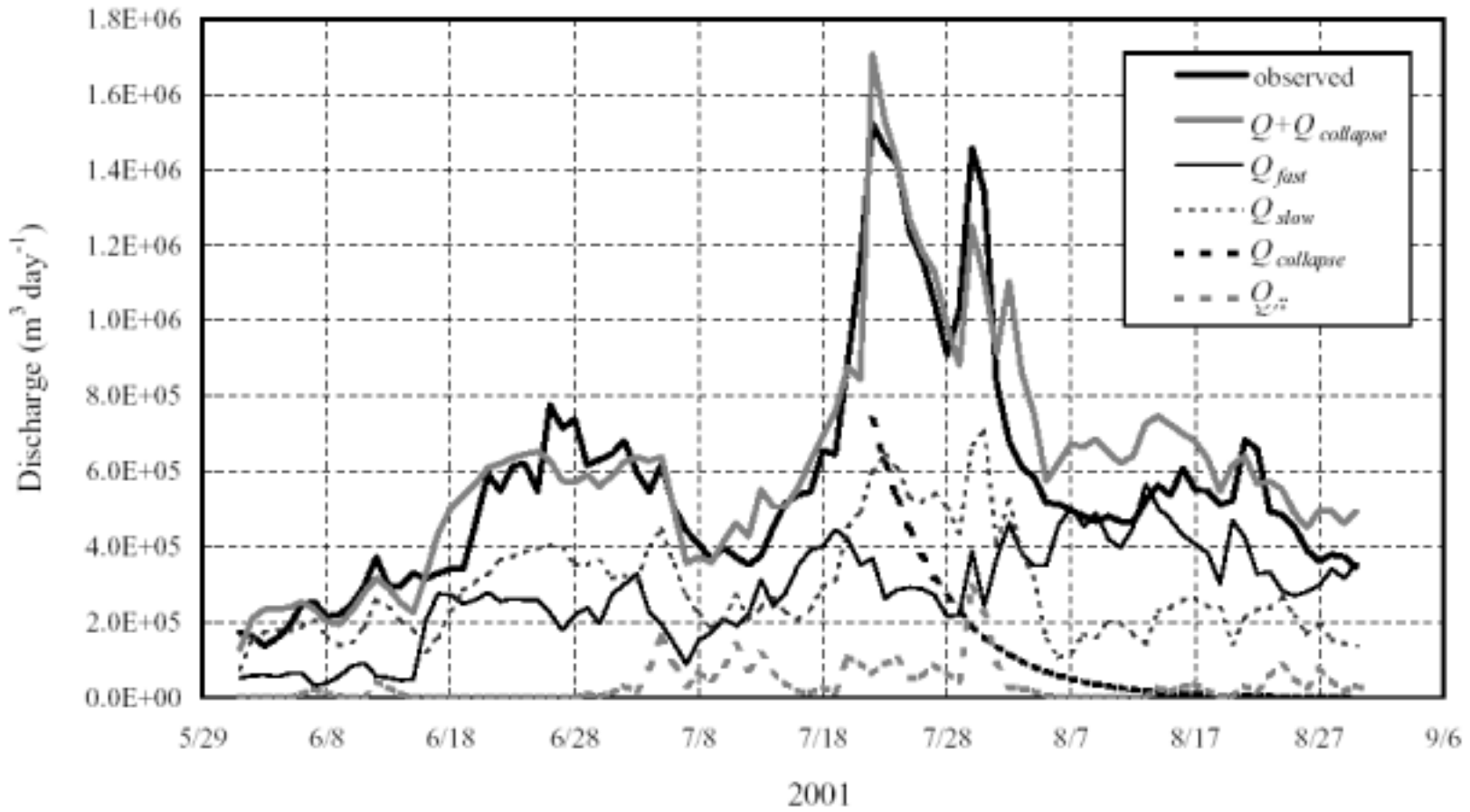


Figure 9. Comparison between simulated and observed results. The four components, Q_{fast} , Q_{slow} , $Q_{collapse}$ and Q_n of the simulated total discharge, $Q+Q_{collapse}$, are also described for their comparison

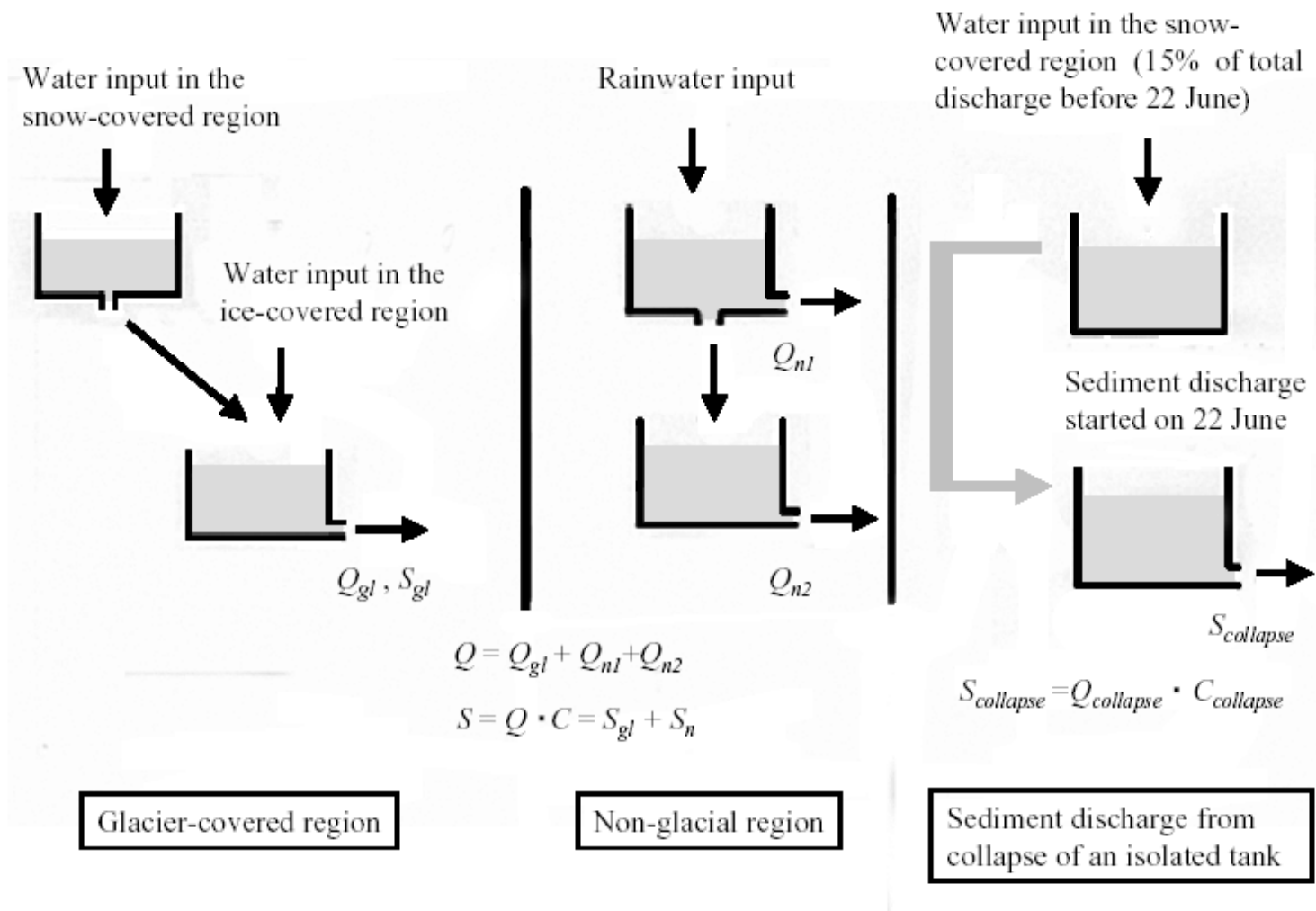


Figure 10. Tank combination for sediment load, where the collapse of a subglacial reservoir in the events is supposed

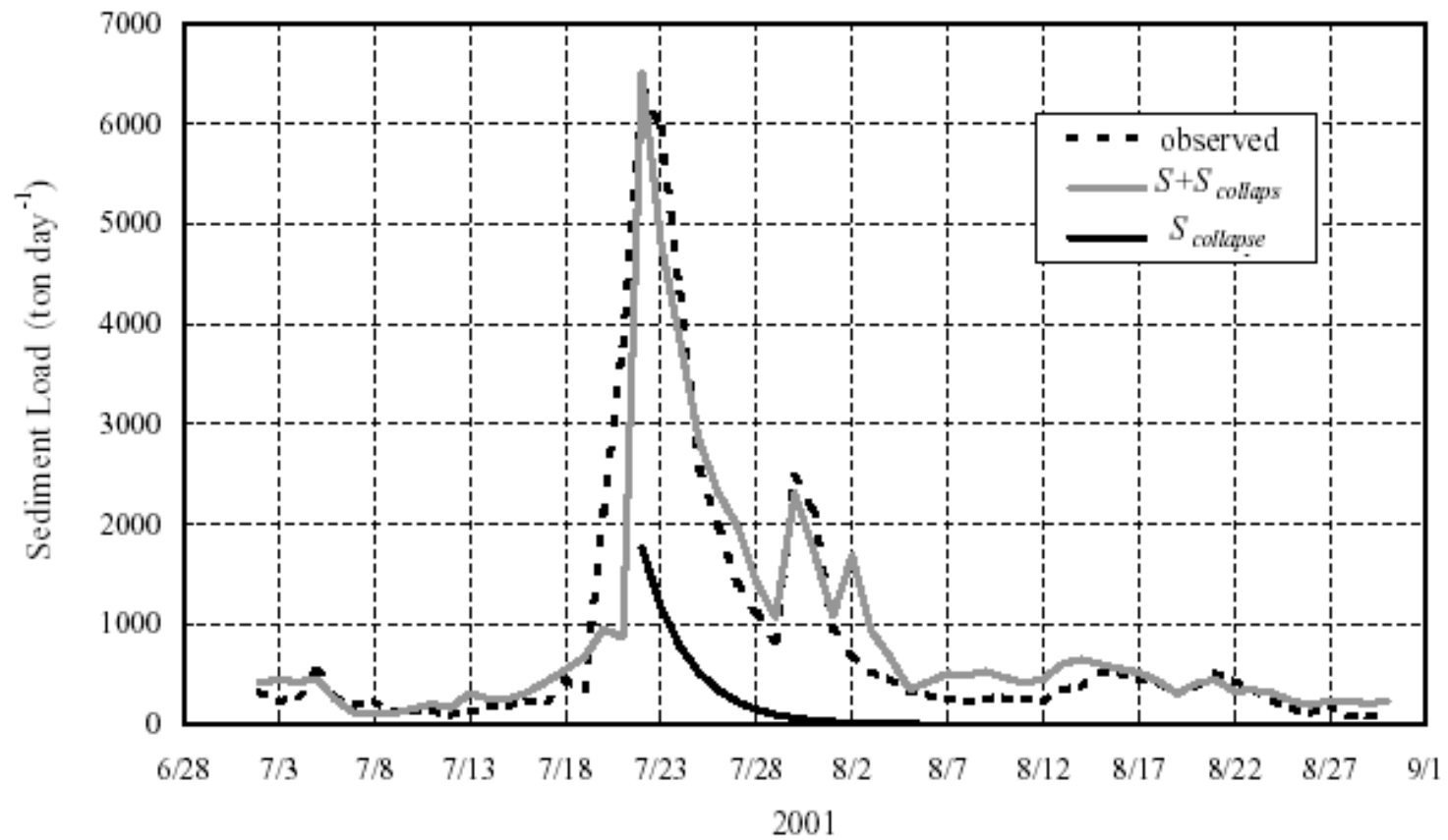


Figure 11. Comparison between observed and simulated sediment loads (rating approach). Sediment load contribution from the tank collapse is also described

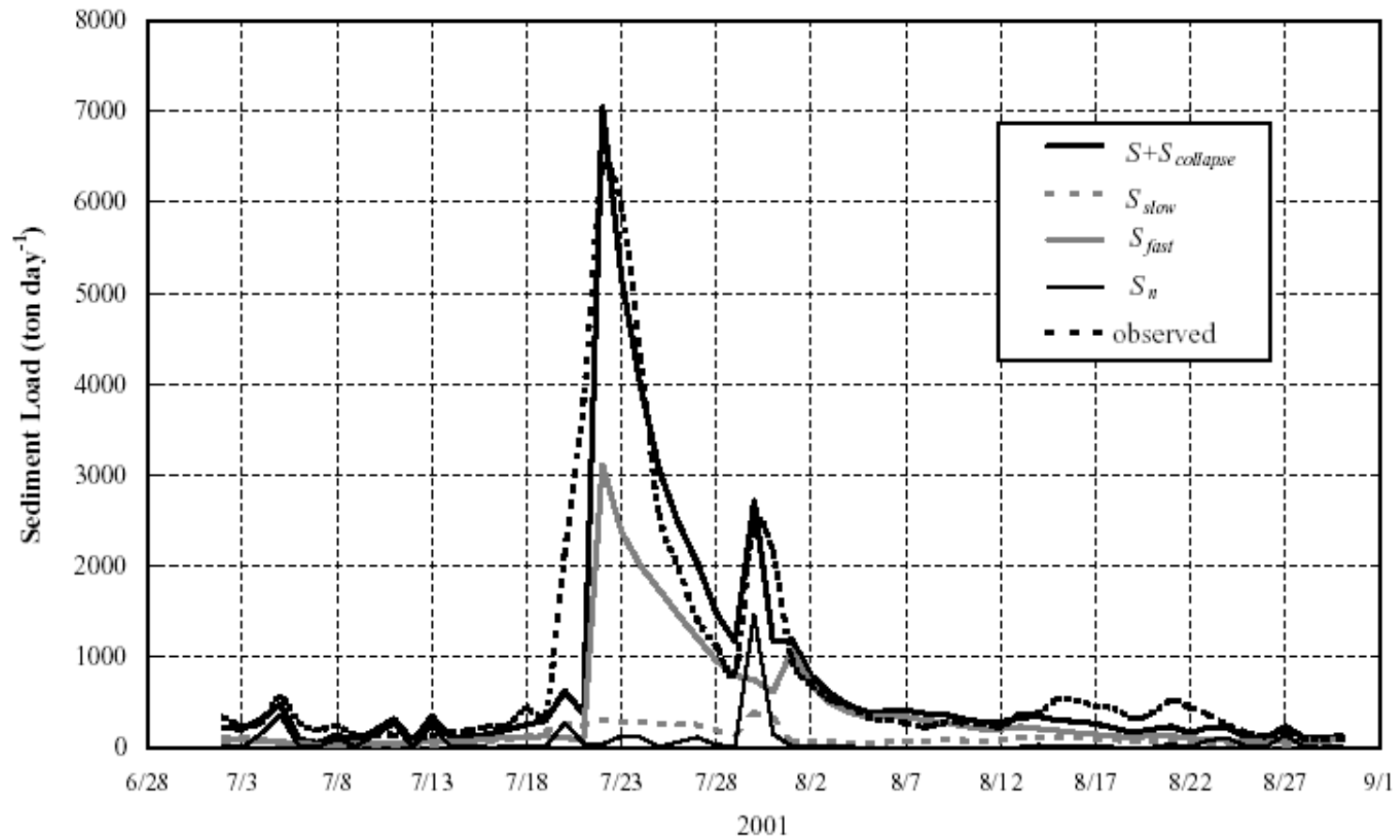


Figure 12. Comparison between observed and simulated sediment loads (separation approach). Sediment load contribution of each component except for that from the collapsed tank is also delineated