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Control of selectivity, activity and durability of simple supported nickel catalysts for hydrolytic hydrogenation of cellulose

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Average particle diameter.

This average value (d_{av}) is defined to have the same surface area per volume between original particles and the average-diameter particles.

Definition.

Let P be a set of n spherical particles $\{P_1, P_2, \dots, P_n\}$, where their diameters are $d_1, d_2, \dots, d_n$, respectively.

Let Q be a set of m spherical particles $\{Q_1, Q_2, \dots, Q_m\}$, where their diameters are d_{av} .

Total volume (V_Q) and surface area (S_Q) of Q are the same as those of P (V_P, S_P).

Proposition.

$$d_{av} = \frac{\sum_{k=1}^n d_k^3}{\sum_{k=1}^n d_k^2}$$

Proof.

$$V_P \text{ is shown as } \frac{\pi}{6} \sum_{k=1}^n d_k^3 \quad (S1)$$

$$S_P \text{ is described as } \pi \sum_{k=1}^n d_k^2 \quad (S2)$$

$$V_Q \text{ is shown as } \frac{\pi}{6} m d_{av}^3 \quad (S3)$$

$$S_Q \text{ is described as } \pi m d_{av}^2 \quad (S4)$$

$$\text{Since } V_P = V_Q, (S1) = (S3). \text{ Therefore, } m = \frac{\sum_{k=1}^n d_k^3}{d_{av}^3} \quad (S5)$$

$$\text{Substitute (S5) for (S4), } S_Q = \frac{\pi \sum_{k=1}^n d_k^3}{d_{av}} \quad (S6)$$

$$\text{Since } S_P = S_Q, (S2) \text{ is equal to the right-hand side of (S6). Accordingly, } d_{av} = \frac{\sum_{k=1}^n d_k^3}{\sum_{k=1}^n d_k^2}$$

Q.E.D.

Identification of hexanetetrol

^1H NMR (400 MHz, D_2O) δ_{H} 3.69 [2 H, m (dddd), CHOD], 3.59 (2 H, dd, $J = 4.0, 11.6$ Hz, CHHOD), 3.47 (2 H, dd, $J = 6.8, 11.6$ Hz, CHHOD), 1.38–1.68 [4 H, m, methylene]. LC/MS $[\text{M} + \text{Na}]^+$ calculated 173.08, found 173.09.

This product might be almost 1:1 mixture of *threo*- and *erythro*-1,2,5,6-hexanetetrols.

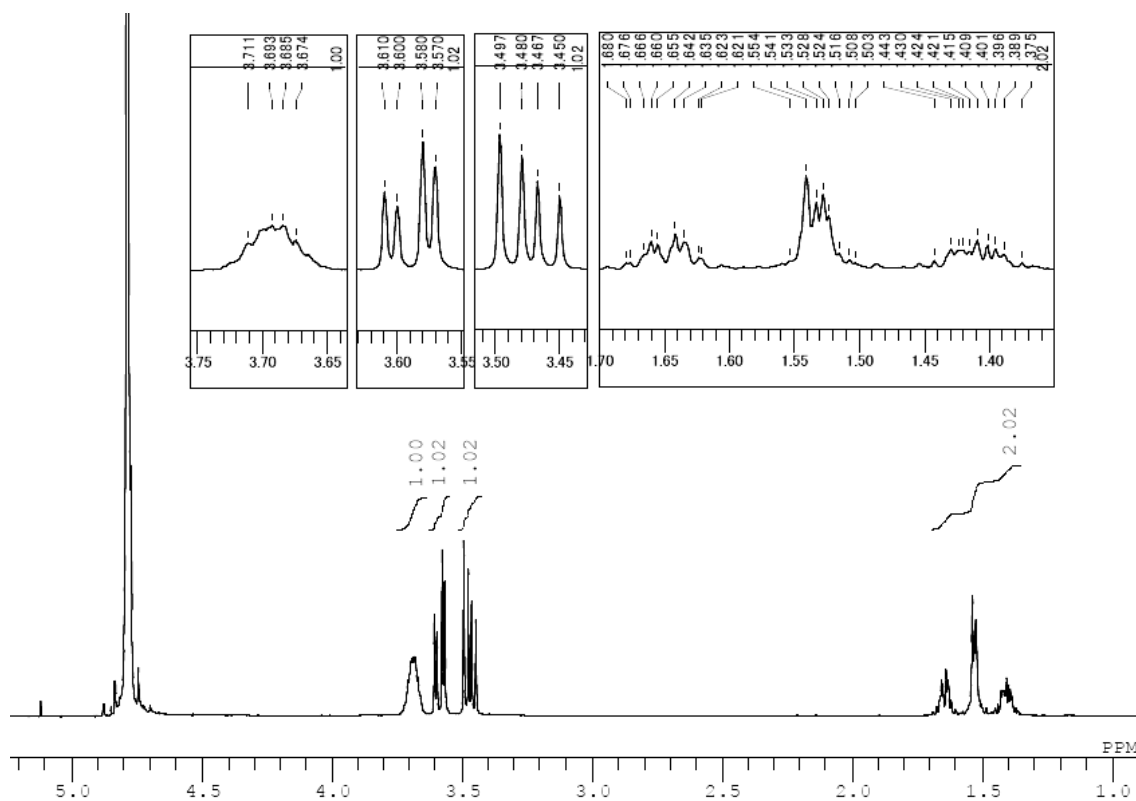


Fig. S1 ^1H NMR spectrum of the product identified as hexanetetrol.

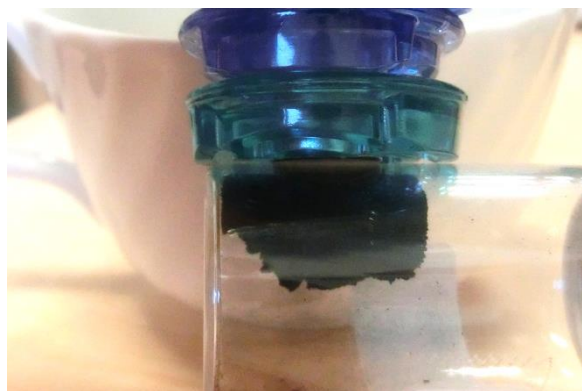


Fig. S2 Ni(50)/KB catalyst attracted by a magnet.

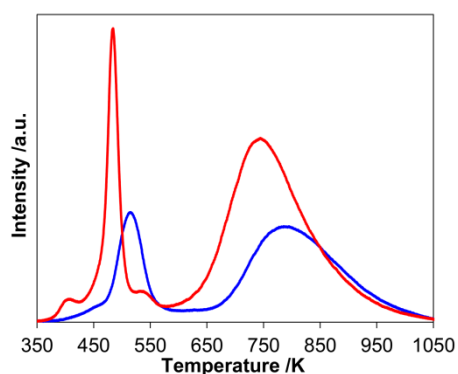


Fig. S3 H₂-TPR measurements for Ni(10)/KB (blue) and Ni(70)/KB (red).

Peaks at 350–600 K are assigned to reduction of Ni, and those at 600–1000 K are to hydrogenation of carbon support.^{S1} If the latter peak for Ni(10)/KB were due to reduction of Ni, the stoichiometry would far exceed 100%.

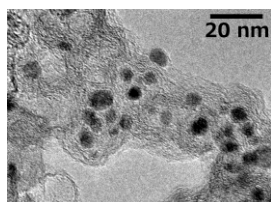


Fig. S4 TEM image of Ni(10)/KB catalyst.

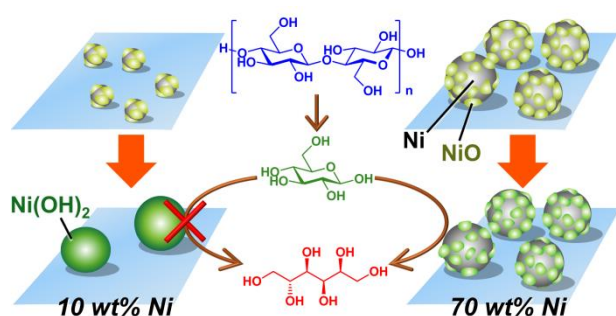


Fig. S5 Schematic of the difference between Ni(10)/KB and Ni(70)/KB catalysts in the hydrolytic hydrogenation of cellulose.

Table S1 Effect of catalyst amount on the hydrolytic hydrogenation of cellulose.

Catalyst amount /mg (S/C [wt/wt])	Conv. /%	Yield /%C										
		Hexitols			Sorbitan	Cellobitol	HT ^b	ET ^c	PG ^d	EG ^e	Glucose	Others ^f
		Sorbitol	Mannitol	Total								
10 (32)	84	21	3.5	25	1.4	0.5	9.3	1.3	5.7	2.3	0.6	38
50 (6.5)	85	36	5.6	41	3.2	0.4	9.0	1.7	3.8	1.8	0.1	24
300 (1.1)	92	22	7.8	30	7.0	0.4	9.2	2.7	2.3	1.6	0.0	39

^a Reaction conditions: cellulose 324 mg, catalyst Ni(50)/TiO₂, water 40 mL, reaction time 6 h, $T = 483$ K, $p(\text{H}_2) = 5.0$ MPa at r.t. ^b Hexanetetrol. ^c Erythritol. ^d Propylene glycol. ^e Ethylene glycol. ^f Difference of the conversion and total yield of the identified products.

S1 T. Komanoya, H. Kobayashi, K. Hara, W.-J. Chun and A. Fukuoka, *Appl. Catal. A*, 2011, **407**, 188-194.